

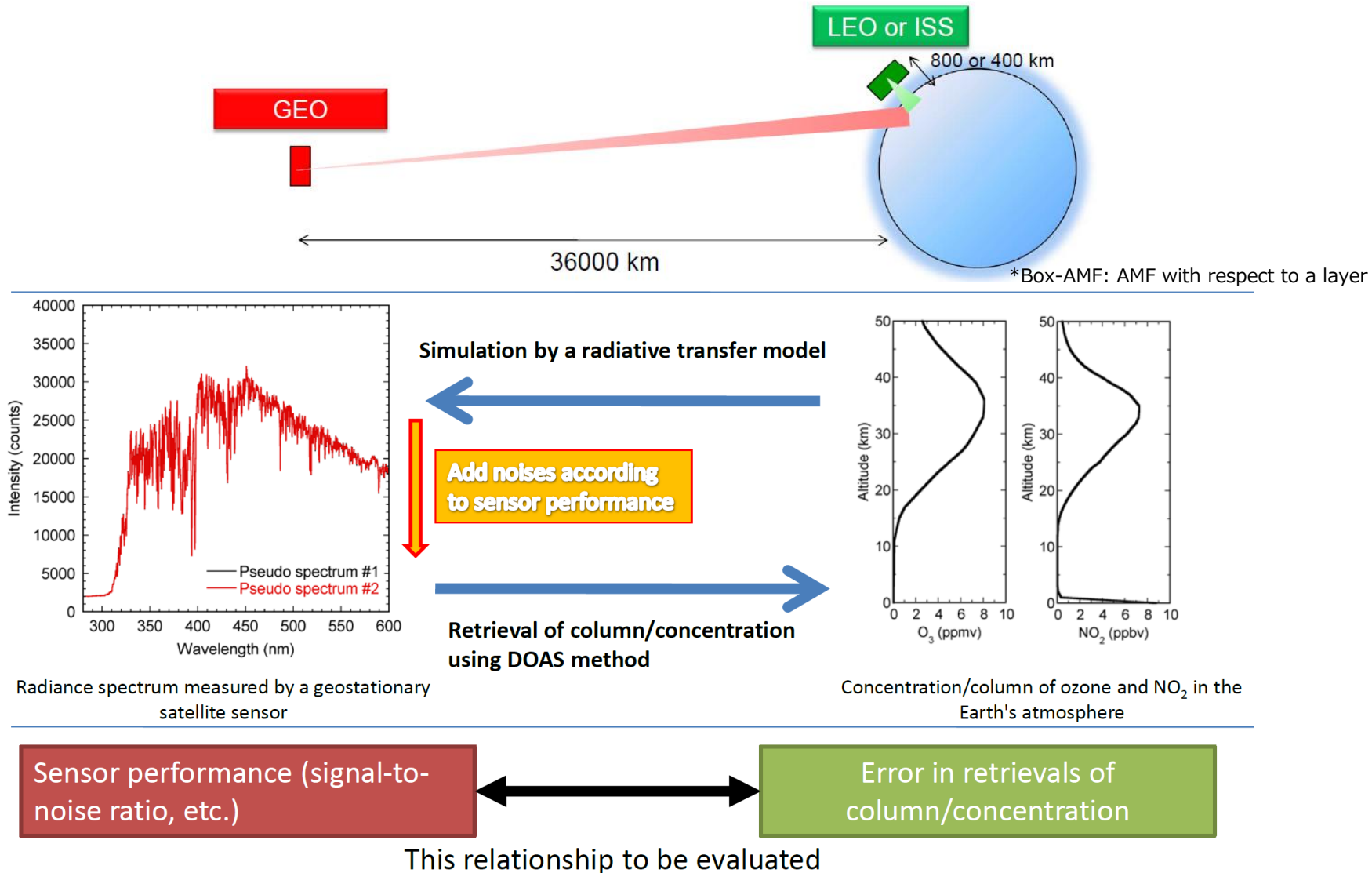
A feasibility study for SO₂ detection from space - part of study for GMAP-Asia -

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Overview of our feasibility study



Simulation by a RTM

We use our RTM, **JACOSPAR**, which was developed based on its predecessor **MCARaTS** (Iwabuchi, 2006). MCARaTS was validated by an international RTM intercomparison study for **MAX-DOAS** geometries (Wagner et al., 2007).

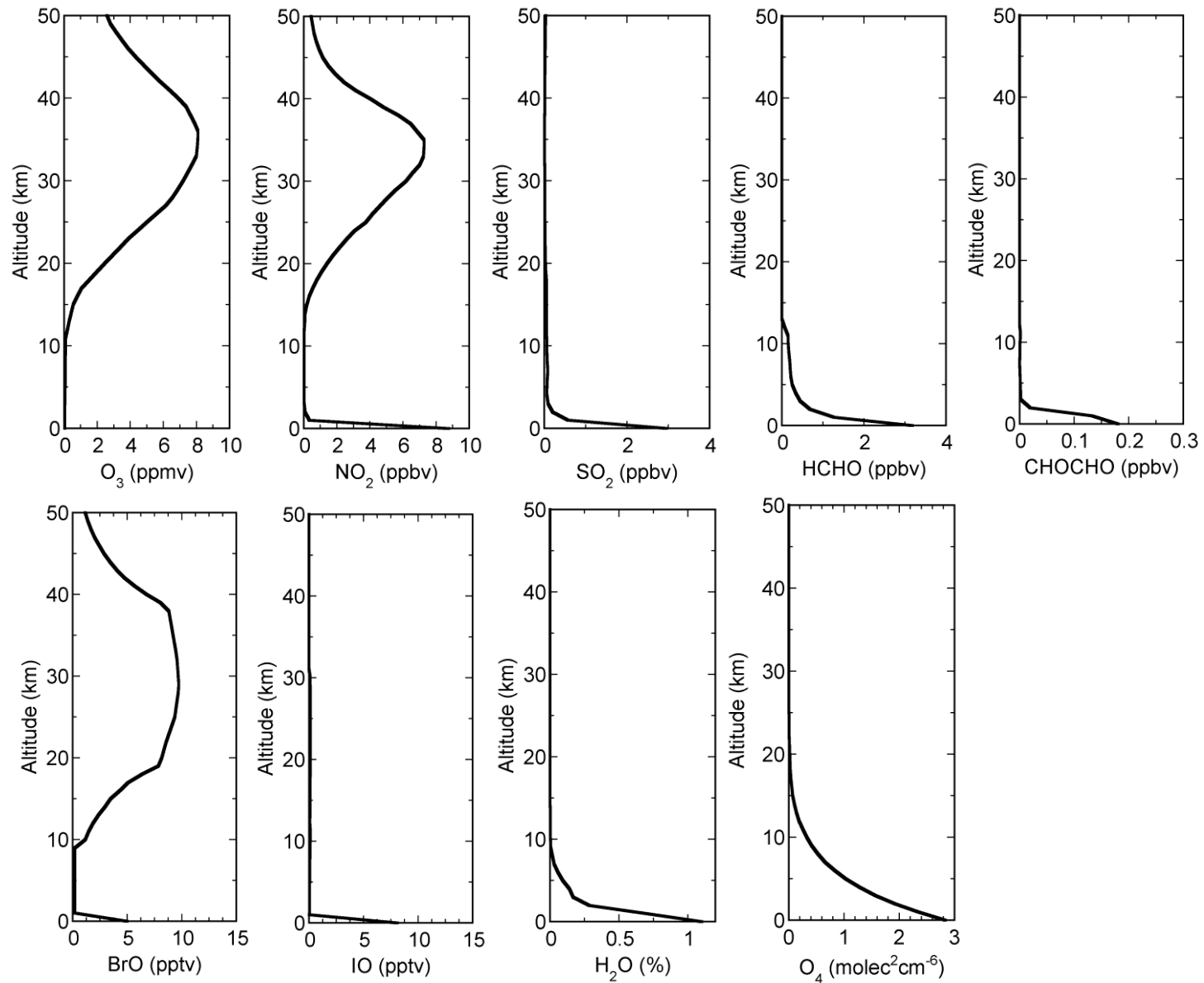
Observation of the atmosphere over Tokyo (35.7°N, 139.7°E).



Four geometries covering summer/winter and 12:00/15:00 local times.

Geometry #	Date	Local time (hour)	SZA (deg)	Azimuth (deg)
0	June 20 (Summer)	12	12.3	178.8
1		15	40.4	264.9
2	Dec. 20 (Winter)	12	59.1	180.7
3		15	73.2	223.3

Assumed profiles of trace gases



Creating synthetic spectra from simulated radiances

Radiance calculation by JACOSPAR

Developed by
Dr. Iwabuchi

Fast calc.

Validated

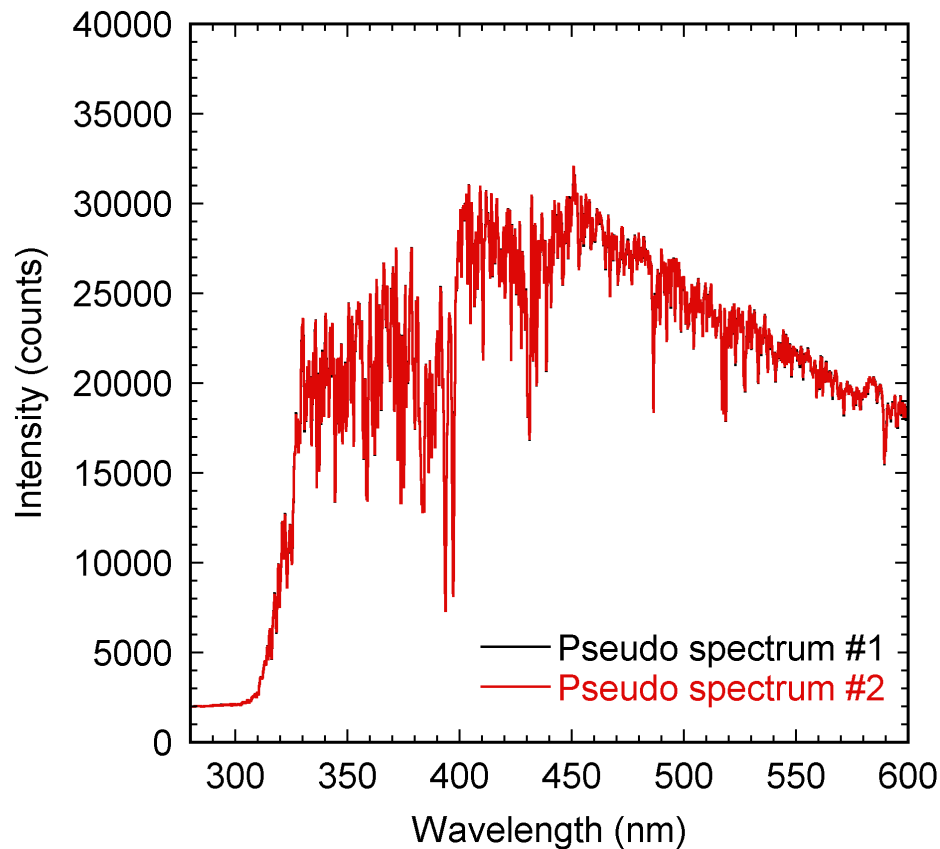
for each 0.01 nm

Scaling to a range 0-30,000 counts

Add offsets and noises

Convolved with slit function assuming FWHM, shift, sampling step

Create a synthetic spectrum



DOAS analysis

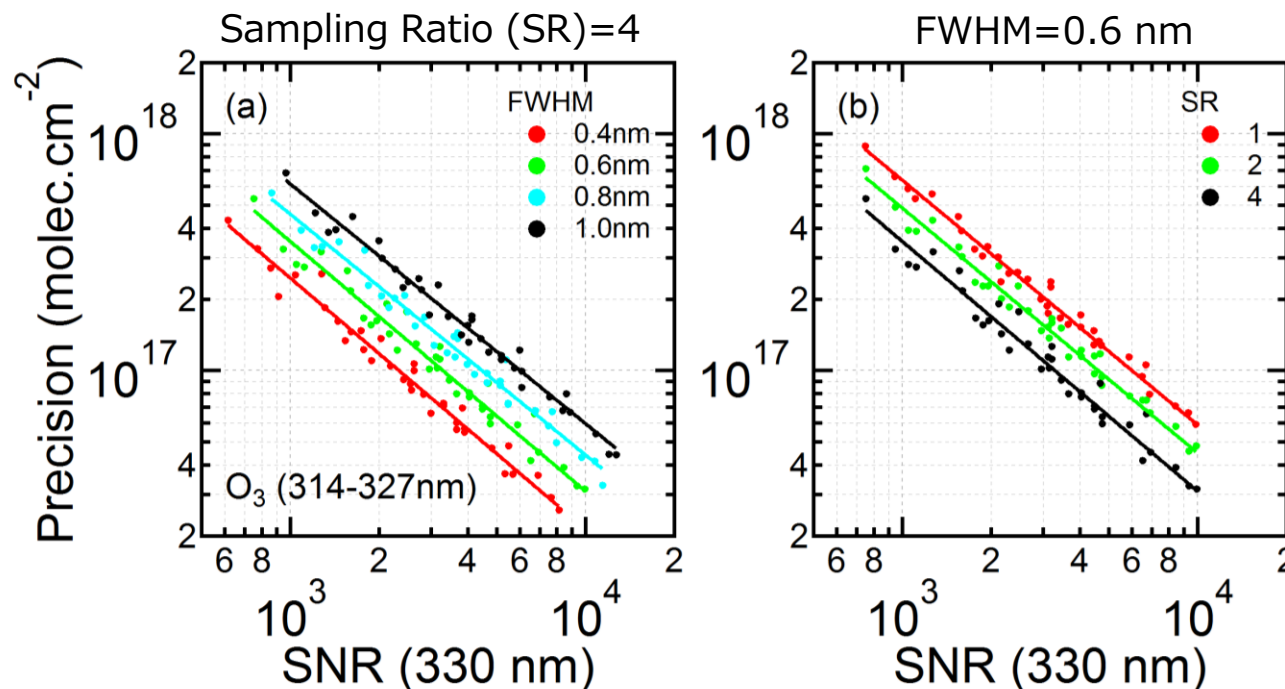
- Levenberg-Marquardt method: $\mathbf{x}_{i+1} = \mathbf{x}_i + (\mathbf{K}_i^T \mathbf{S} \mathbf{K}_i + \gamma_i \mathbf{D})^{-1} \mathbf{K}_i^T \mathbf{S} [\mathbf{y} - \mathbf{F}(\mathbf{x}_i)]$
- Forward model: $\ln I(\lambda) = \ln(I_0(\lambda) - c(\lambda)) - \sum_{i=1} \sigma_i(\lambda) \Delta \text{SCD}_i - p(\lambda)$

- Fitting window:
 - 314-327 nm for UV O₃ and SO₂
- Degree of offset polynomial : 2nd (i.e., $c(\lambda) = a_0 + a_1\lambda + a_2\lambda^2$)
- Degree of polynomial : 3rd (i.e., $p(\lambda) = b_0 + b_1\lambda + b_2\lambda^2 + b_3\lambda^3$)

- Precision estimate
 - For each geometry and each SNR given, 200 synthetic spectra containing different random noises are analyzed by DOAS.
 - The mean and its 1σ standard deviation for 200 SCDs retrieved are calculated.
 - The 1σ standard deviation is regarded as the precision.

Precision for O₃ SCD vs. SNR (UV)

Irie et al. (2012)

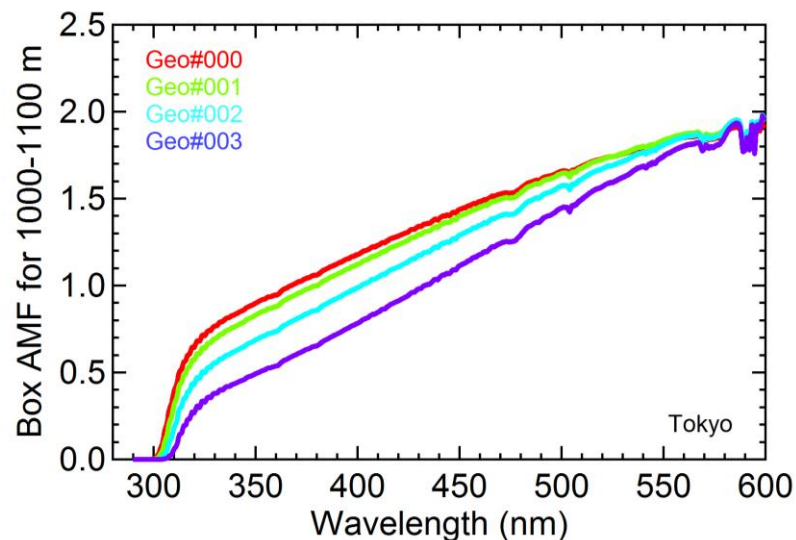


- We found clear relationships between the precision(ϵ) and SNR.
- For example, the precision and SNR are linked by the equation
$$\log(\epsilon) = -1.06 \cdot \log(\text{SNR}) + 20.57$$
for O₃ observations in the UV region at a FWHM = 0.6 nm and SR = 4.
- Better precision at better FWHM and larger SR (sampling ratio).

How to use the equation:

example of the application to GMAP-Asia

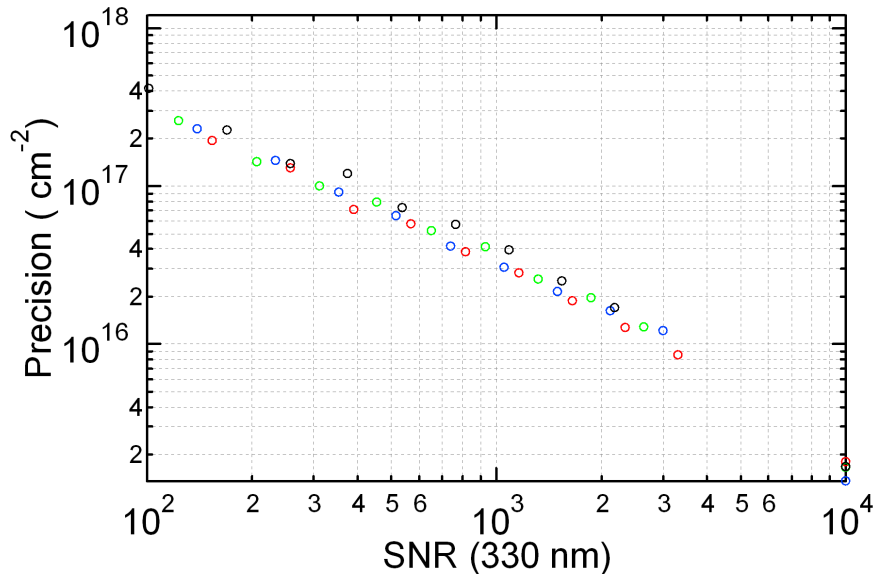
- For GMAP-Asia, the precision required to detect high-ozone events in PBL has been tentatively set to **50 ppbv** (extra-success case).
- This corresponds to a change in **O₃ VCD by 2.5×10^{17} molec. cm⁻²** or a change in **O₃ SCD by 1.25×10^{17} molec. cm⁻²** (box-AMF at 1 km is about 0.5).



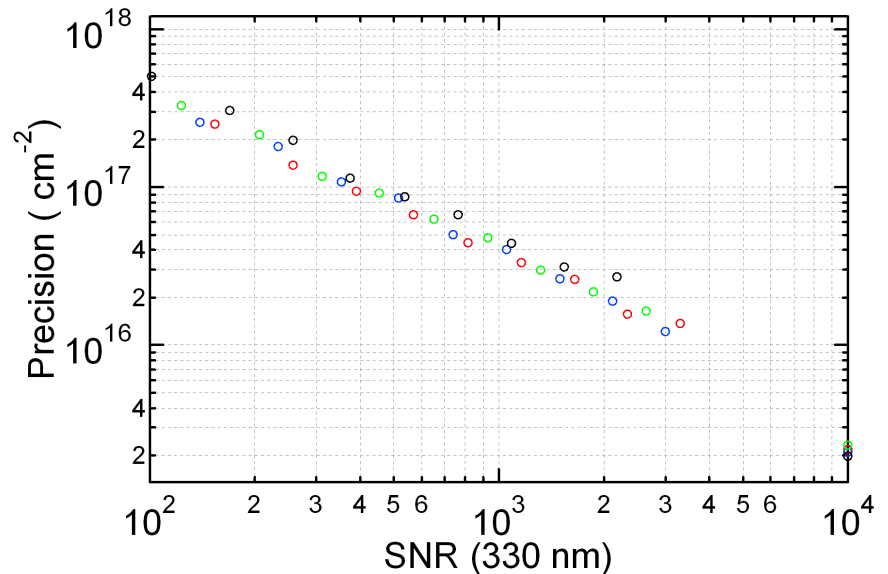
- The change in SCD is regarded as ϵ .
- Putting the ϵ into the equation **$\log(\epsilon) = a \cdot \log(\text{SNR}) + b$** (where $a = -1.06$ and $b = 20.57$ for FWHM=0.6 and SR=4), we can obtain the required SNR.

Results for SO₂

FWHM=0.4 nm



FWHM=0.6 nm



For SO₂, clear relationships between the precision(ϵ) and SNR are also seen!

SNRs corresponding to the requirements

This study

Requirement

PBL SO₂ = 10 ppbv

SO₂ VCD = 5.0×10^{16} molec. cm⁻²

SO₂ SCD = 2.5×10^{16} molec. cm⁻²

SNR(@320nm)

800 for FWHM = 0.4 nm

900 for FWHM = 0.6 nm

Requirement

PBL SO₂ = 4 ppbv

SO₂ VCD = 2.0×10^{16} molec. cm⁻²

SO₂ SCD = 1.0×10^{16} molec. cm⁻²

SNR (@320nm)

1900 for FWHM = 0.4 nm

2400 for FWHM = 0.6 nm

※SNR(@320nm) converted from SNR(@330 nm)

KC and GIST

Requirement

PBL SO₂ = 13 ppbv

SNR (@320nm)

732 for FWHM = 0.6 nm

Requirement

PBL SO₂ = 4 ppbv

SNR (@320nm)

1750 for FWHM = 0.6 nm

